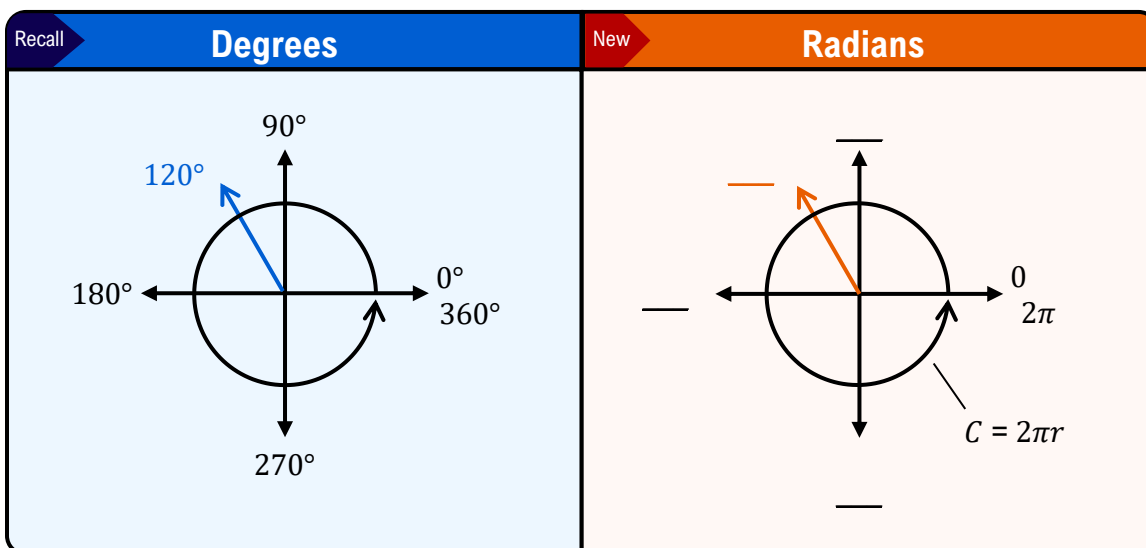


Converting between Degrees & Radians

◆ **Radians:** A different unit for measuring angles, based on a circle's circumference. Full circle = $360^\circ =$ ____ radians



$$\theta_{rad} = \frac{\pi}{180} \cdot \theta_{deg} \quad (\text{degrees to radians})$$
$$\theta_{deg} = \frac{180}{\pi} \cdot \theta_{rad} \quad (\text{radians to degrees})$$

EXAMPLE Convert the angle from degrees to radians or from radians to degrees.

(A)

$$120^\circ$$

(B)

$$\frac{6\pi}{5}$$

TOPIC: RADIANS

PRACTICE

Convert the angle 540° from degrees to radians.

Recall

$$\theta_r = \frac{\pi}{180^\circ} \cdot \theta_d$$

(degrees to radians)

$$\theta_d = \frac{180^\circ}{\pi} \cdot \theta_r$$

(radians to degrees)

PRACTICE

Convert the angle $-\frac{5\pi}{6}$ from radians to degrees.

Recall

$$\theta_r = \frac{\pi}{180^\circ} \cdot \theta_d$$

(degrees to radians)

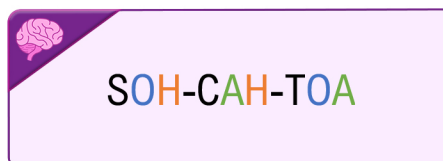
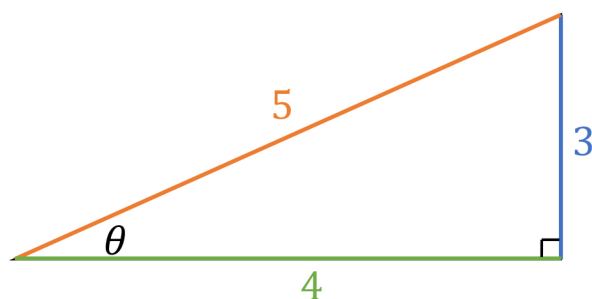
$$\theta_d = \frac{180^\circ}{\pi} \cdot \theta_r$$

(radians to degrees)

TOPIC: RIGHT TRIANGLE TRIGONOMETRY

Introduction to Trigonometric Functions

- ◆ **Trig Functions** relate _____ to side lengths in right triangles.
 - ▶ The three main trig functions are Sine, Cosine, & Tangent which are _____.



New

Trig Functions

SOH

$$\sin \theta = \frac{\text{Opposite Side}}{\text{Hypotenuse}}$$

$$\sin \theta = \text{---}$$

CAH

$$\cos \theta = \frac{\text{Adjacent Side}}{\text{Hypotenuse}}$$

$$\cos \theta = \text{---}$$

TOA

$$\tan \theta = \frac{\text{Opposite Side}}{\text{Adjacent Side}} = \frac{\sin \theta}{\cos \theta}$$

$$\tan \theta = \text{---}$$

EXAMPLE

Find the value of the trig function indicated, given the triangle.

(A)

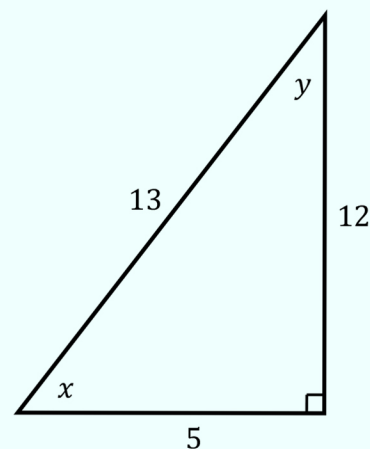
$$\sin x$$

(B)

$$\tan x$$

(C)

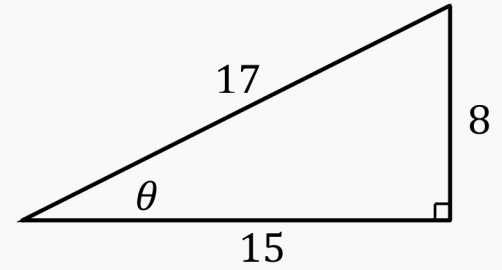
$$\cos y$$



TOPIC: RIGHT TRIANGLE TRIGONOMETRY

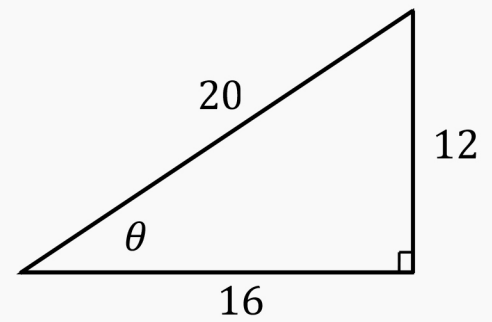
PRACTICE

Given the right triangle below, evaluate $\cos(\theta)$.



PRACTICE

Given the right triangle below, evaluate $\tan(\theta)$.

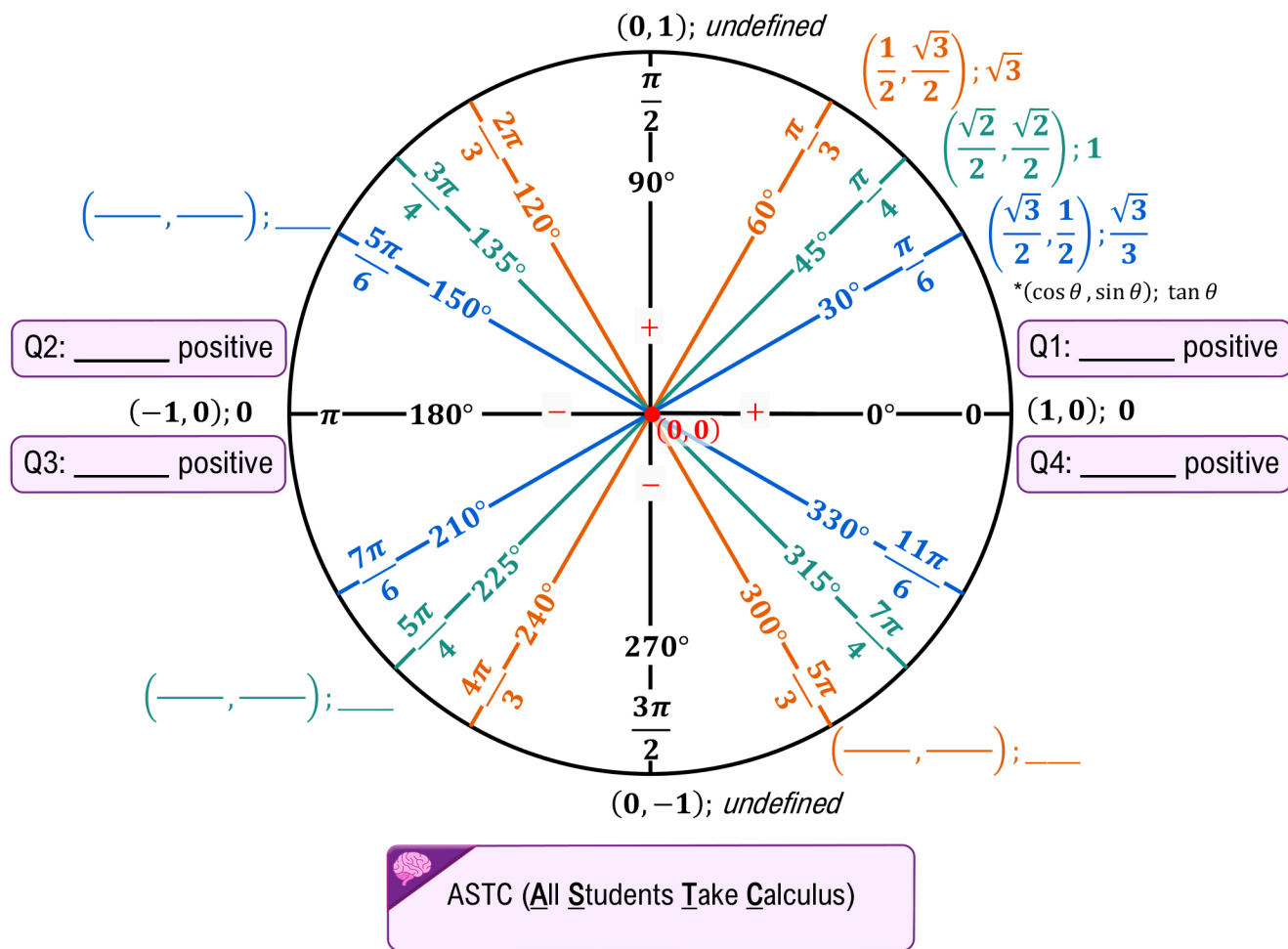


TOPIC: REFERENCE ANGLES

Trig Values in Quadrants II, III, & IV

◆ The sin, cos, & tan of angles *NOT* in Q1 have the same **value** as the sin, cos, & tan of their reference angles.

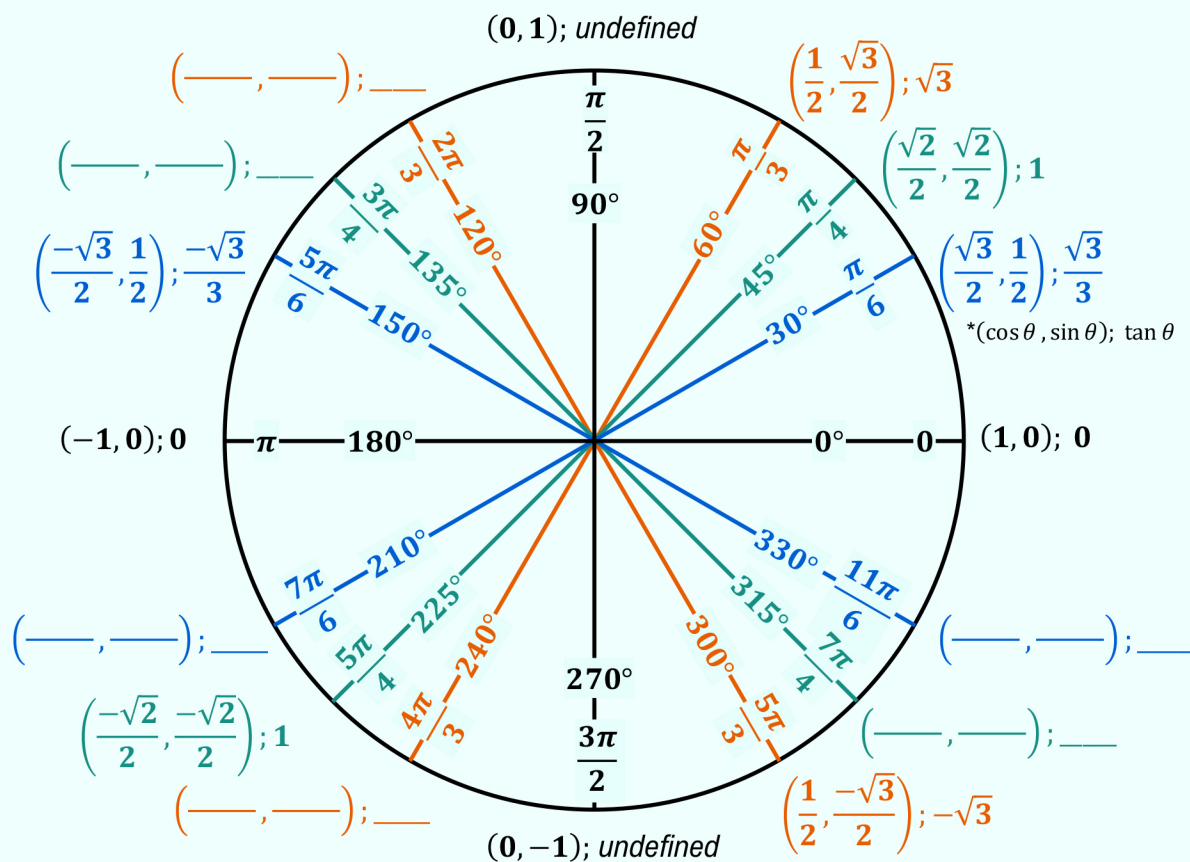
- ▶ *HOWEVER*, the _____ of the values will change based on their quadrant.



TOPIC: REFERENCE ANGLES

EXAMPLE

Use reference angles to complete the missing trig values in quadrants II, III, & IV of the unit circle.



PRACTICE

Identify what angle, θ , satisfies the following conditions.

(A)

$$\sin \theta = \frac{1}{2}; \tan \theta < 0$$

$$\theta = \underline{\hspace{2cm}}$$

(B)

$$\cos \theta = \frac{\sqrt{3}}{2}; \sin \theta < 0$$

$$\theta = \underline{\hspace{2cm}}$$

(C)

$$\tan \theta = -1; \cos \theta > 0$$

$$\theta = \underline{\hspace{2cm}}$$

TOPIC: REFERENCE ANGLES

EXAMPLE

Fill in all missing information in the unit circle below.

