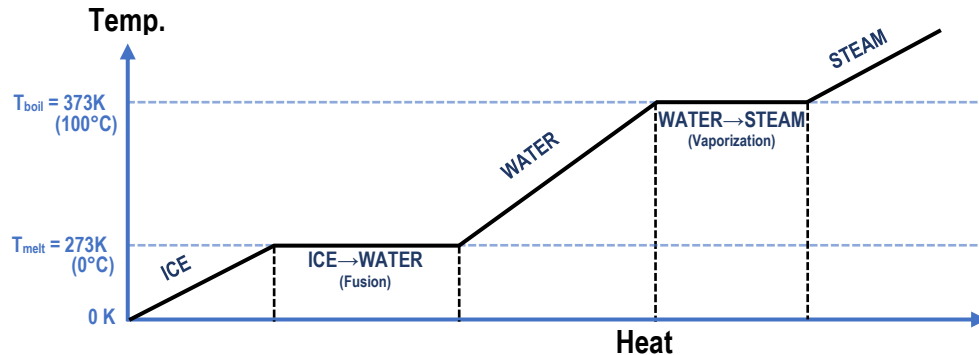


CONCEPT: CALORIMETRY WITH TEMPERATURE AND PHASE CHANGES

- You'll need to know to solve calorimetry problems where a material changes temperature AND phase.
 - Heat *always* flows hot→cold, so only _____ obj's can change both. Hotter obj's *never* cool & change phase.
 - Recall:** In T vs. Q graphs, use $Q=mc\Delta T$ for [diagonal | horizontal] lines, $Q=mL$ for [diagonal | horizontal] lines

EXAMPLE: An insulated cup contains 0.25kg of water initially at 15°C. Calculate the amount of ice (in kg), initially at -20°C, you should add to the water in order for **exactly half** the ice to melt and the final temperature of the mixture to be 0°C.



CALORIMETRY

- 0) Draw T vs. Q diagram, T_i 's & T_f
- 1) Write $Q_A = -Q_B$, 1 Q per change
Only colder materials may have >1 Q
- 2) Replace Q's with $mc\Delta T$ OR ΔmL
Write $Q=mc\Delta T$ for diagonal parts
Write $Q=\Delta mL$ for horizontal parts
- 3) Solve for Target

SPECIFIC & LATENT HEATS

$$Q = mc\Delta T$$

$$Q = mL$$

$$c_{ice} = 2100 \text{ J/(kg}\cdot\text{K)}$$

$$c_{water} = 4186 \text{ J/(kg}\cdot\text{K)}$$

$$L_{f,water} = 3.34 \times 10^5 \text{ J/kg (sol} \rightarrow \text{liq)}$$

$$L_{v,water} = 2.26 \times 10^6 \text{ J/kg (liq} \rightarrow \text{gas)}$$

- If not all the material changes phase, use Δm for _____ mass in $Q=\Delta mL$ and m for _____ mass in $Q=mc\Delta T$

PROBLEM: You're a metalworker trying to cool a 1.6 kg chunk of iron initially at 600°C. To do this, you drip water at 20°C over it. If the chunk of iron cools down to 130°C and all of the water boils, how much (in kg) water did you drip over the iron?

CALORIMETRY

0) Draw T vs. Q diagram, T_i 's & T_f

1) Write $Q_A = -Q_B$, 1 Q per change

Only colder materials may have >1 Q

2) Replace Q's with $mc\Delta T$ OR ΔmL

Write $Q=mc\Delta T$ for diagonal parts

Write $Q=\Delta mL$ for horizontal parts

3) Solve for Target

SPECIFIC/LATENT HEAT & CALORIMETRY

$Q = mc\Delta T$ (temp change)

$Q = mL$ (phase change)

$c_{water} = 4186 \text{ J/(kg}\cdot\text{K)}$

$c_{iron} = 470 \text{ J/(kg}\cdot\text{K)}$

$L_f (water) = 3.34 \times 10^5 \text{ J/kg}$

$L_v (water) = 2.256 \times 10^6 \text{ J/kg}$