CONCEPT: THE CARNOT CYCLE

- Remember: The Second Law says no heat engine can *EVER* have an efficiency of 100%.
 - The Carnot Cycle is an ideal "reversible" cycle that has the ______ possible efficiency: $e_{Carnot} = 1$

 $e_{Carnot} = 1 - \dots$

- An engine is "reversible" if processes happen infinitely slowly and without frictional forces dissipating energy.
- The Carnot Cycle has 4 steps:

(1)
$$(a \rightarrow b)$$
 Isothermal Expansion at T_H , absorbing heat (Q_H)

(2)
$$(b \rightarrow c)$$
 Adiabatic Expansion from T_H to T_C $(Q = 0)$

(3)
$$(c \rightarrow d)$$
 Isothermal Compression at T_C , releasing heat (Q_C)

(4)
$$(d \rightarrow a)$$
 Adiabatic Compression from T_C to T_H $(Q = 0)$

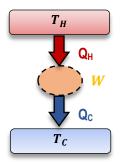
- Because (__) & (__) are adiabatic, heat transfer only happens during (__) & (__)



 V_1

• The heat released & absorbed depends on temperatures of the Cold & Hot reservoirs:

<u>EXAMPLE</u>: You build a Carnot engine operating between 520K and 300K. The engine takes in 6.45 kJ of heat from the hot reservoir. a) Calculate the maximum theoretical efficiency between these two reservoirs. b) How much waste heat does the engine expel each cycle? c) How much mechanical work does the engine produce?



HEAT ENGINES
$\Delta E_{int} = 0$
$ W = Q_H - Q_C $
$e = \frac{W}{Q} = 1 - \frac{Q_C}{Q}$

<u>PROBLEM</u>: A theoretical heat engine in space could operate between the Sun's 5500°C surface and the –270.3°C temperature of intergalactic space. What would be its maximum theoretical efficiency?

- **A)** 99.98%
- **B)** 95.1%
- **C)** 99.95%

HEAT ENGINES

$$\begin{split} \Delta E_{int} &= 0 \\ |W| &= |Q_H| - |Q_C| \\ e &= \frac{w}{Q_H} = 1 - \frac{Q_C}{Q_H} \\ e_{Carnot} &= 1 - \frac{T_C}{T_H} \end{split}$$

<u>PROBLEM</u>: A Carnot engine with an efficiency of 70% is cooled by water at 10°C. What temperature must the hot reservoir be maintained at?

- **A)** 33.3 K
- **B)** 404.3 K
- **C)** 943.3 K
- **D)** 14.3 K

HEAT ENGINES

$$\Delta E_{int} = 0$$

$$|W| = |Q_H| - |Q_C|$$

$$e = \frac{w}{Q_H} = 1 - \frac{Q_C}{Q_H}$$

$$e_{Carnot} = 1 - \frac{T_C}{T_H}$$

<u>PROBLEM</u>: A Carnot engine operates between reservoirs at 182°C and 0°C. If the engine extracts 25J of energy from the hot reservoir, how many cycles will it take to lift a 10kg mass a height of 8m?

HEAT ENGINES $\Delta E_{int} = 0$ $|W| = |Q_H| - |Q_C|$ $e = \frac{w}{Q_H} = 1 - \frac{Q_C}{Q_H}$ $e_{Carnot} = 1 - \frac{T_C}{T_H}$ $\left|\frac{Q_C}{Q_H}\right| = \left|\frac{T_C}{T_H}\right| \text{ (Carnot only)}$

PROBLEM: Your friend claims they have a design for a reversible heat engine that can operate between the freezing and

- A) No
- B) Yes
- C) Not enough information

boiling temperatures of water that has an efficiency of 30%. Is this possible?

HEAT ENGINES

$$\Delta E_{int} = 0$$

$$|W| = |Q_H| - |Q_C|$$

$$e = \frac{w}{Q_H} = 1 - \frac{Q_C}{Q_H}$$

$$e_{Carnot} = 1 - \frac{T_C}{T_H}$$