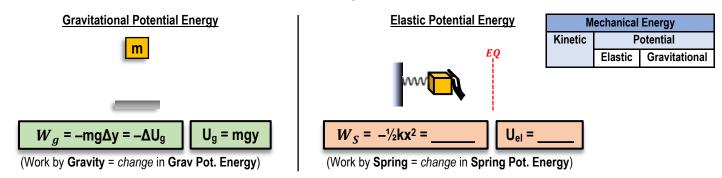
## **CONCEPT: ELASTIC (SPRING) POTENTIAL ENERGY**

• Just like objects "STORE" energy when lifted to a height (U<sub>0</sub>), springs store energy when compressed/stretched (\_\_\_\_\_):

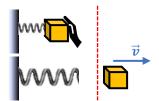


- These 2 energies are the same TYPE, so we combine them in the Conservation of Energy Equation

$$K_i + U_i + W_{NC} = K_f + U_f$$

$$U = \underline{\qquad}$$

<u>EXAMPLE</u>: A 4kg block is attached to a spring on a smooth, horizontal surface. The spring constant k = 500 N/m. You push the block with a force of 100N. (a) Calculate the compression distance of the spring. (b) You release the spring and the box accelerates to the right. Calculate its launch speed.



## **CONSERVATION OF ENERGY**

- 1) Draw Diagram
- 2) Write Cons. of Energy EQ
- 3) Eliminate & expand terms
- 4) Solve

- In spring problems where objects are STATIONARY, solve by using \_\_\_\_\_\_
  - If objects are MOVING between two points (initial → final), solve by using \_\_\_\_\_ (because **F** ≠ **constant!**)

PROBLEM: A 4-kg block moving on a frictionless, horizontal surface with 20 m/s strikes a massless, horizontal spring of force constant 600 N/m. Calculate the maximum distance that the block will compress the spring by.

- **A)**  $\Delta x = 0.365 \text{ m}$
- **B)**  $\Delta x = 1.63 \text{ m}$
- **C)**  $\Delta x = 2.00 \text{ m}$
- **D)**  $\Delta x = 2.67 \text{ m}$



## **CONSERVATION OF ENERGY**

- 1) Draw Diagram
- 2) Write Cons. of Energy EQ3) Eliminate & expand terms
- 4) Solve

<u>PRACTICE</u>: A 4-kg block moving on a flat surface strikes a massless, horizontal spring of force constant 600 N/m with a 20 m/s. The block-surface coefficient of friction is 0.5. Calculate the maximum compression that the spring will experience.

